#### Reminders

- HWI, due 2/1, 10pm
- Peer review for PRA1, due 2/2
- PRA2, due 2/8, 10pm

# Artificial Intelligence Methods for Social Good Lecture 6 Basics of Computer Vision

17-537 (9-unit) and 17-737 (12-unit) Instructor: Fei Fang <u>feifang@cmu.edu</u>

## Learning Objectives

- Describe the concept of
  - Convolutional Neural Network
  - Cross-entropy loss
- For the poverty estimation problem, briefly describe
  - Significance/Motivation
  - Task being tackled, i.e., what is being solved/optimized
  - Model and method used to solve the problem
  - Evaluation process and criteria

#### Outline

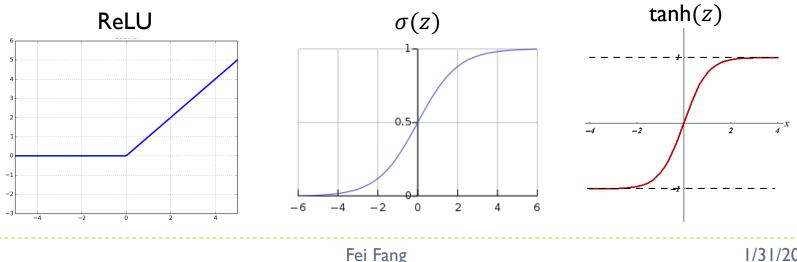
## Recap

- Convolutional Neural Network
- Estimate Poverty from Remote Sensing Data

#### **Recap: A Basic Unit in Neural Networks**

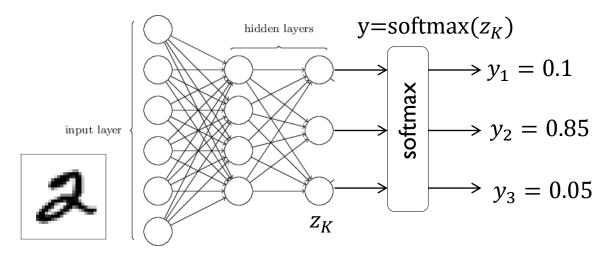
$$y = f(\boldsymbol{x}^T \boldsymbol{w} + b)$$

- Commonly used f
  - (default) ReLU (rectified linear unit):  $f(z) = \max\{0, z\}$
  - Sigmoid:  $f(z) = \sigma(z) = \frac{1}{1+e^{-z}}$ •  $\tanh: f(z) = tanh(z) = \frac{e^z - e^{-z}}{e^z + e^{-z}}$



## Recap: Feedforward Neural Network

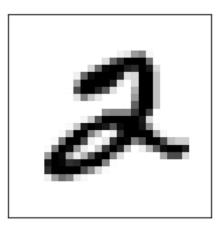
- Fully connected layer / dense layer: every node in layer k is connected with every node in layer k + 1
- MaxPool unit: y = max x<sub>i</sub> i ∈ →y x<sub>i</sub>
   Softmax Layer: y<sub>i</sub> =  $\frac{e^{x_i}}{\sum_j e^{x_j}}$



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#### Poll I

- Given a set of grayscale images, each described by 28 by 28 pixels, if we treat the intensity of each pixel as an input feature, and the output is a single value representing the probability that the image is representing a handwritten digit 2, how many parameters are needed with one fully connected hidden layer with 100 nodes?
  - ► A: 28 × 28 × 100
  - $B: (28 \times 28 + 1) \times 100$
  - C:  $28 \times 28 \times 100 + 100$
  - $D: (28 \times 28 + 1) \times 100 + 101$
  - E: None of the above
  - F: I don't know



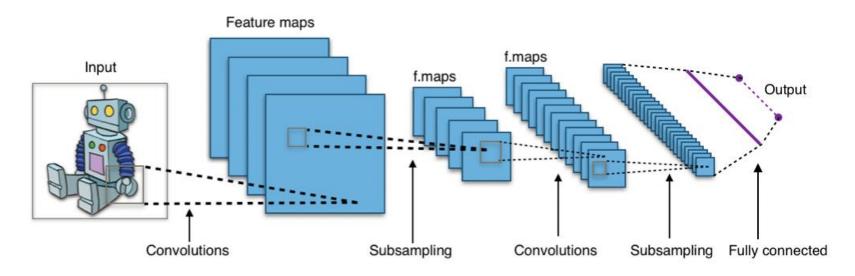
#### Outline

## Recap

- Convolutional Neural Network
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## **Convolutional Neural Networks**

## A special type of FFN



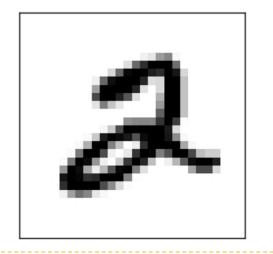
Convolutional layer:

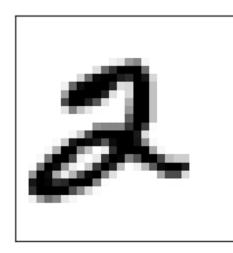
iteratively takes a matrix of inputs and outputs multiple (smaller) matrices Pooling/Subsampling layer:

takes a matrix of inputs and subsamples those into a single element e.g. by using MaxPool unit

### **Convolutional Neural Networks**

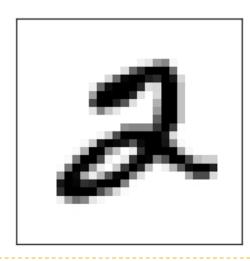
 How to represent the relationship between an input image and an output label (is it a hand written digit 2?) efficiently?

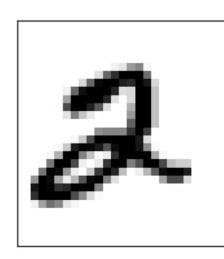


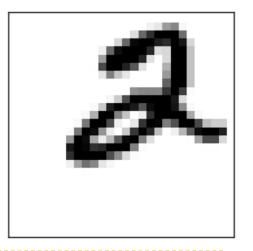




- Motivation
  - Reduce parameters
  - Enforce shift invariance
- Key ideas
  - Construct a "filter", apply the filter to every subregion of the image (equivalently, sliding the filter)



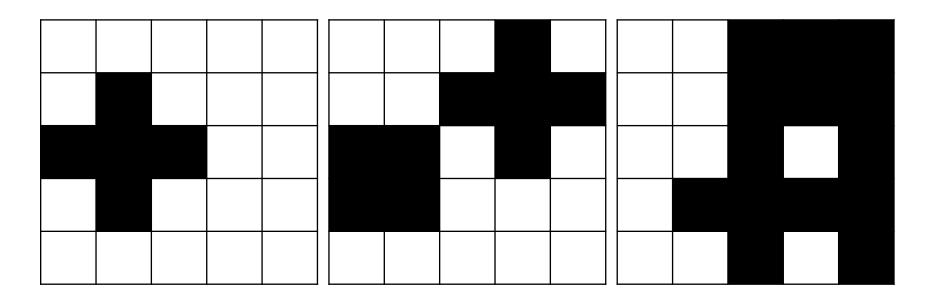






#### Discussion

- Finding "+"
  - > 5 by 5 pixels, B/W image, allow for noise in irrelevant area
- Construct an NN for the task using only basic units. How many hidden layers do you use?



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### Extend to general grayscale images

- z<sub>k+1</sub> = z<sub>k</sub> \* w represent a set of nodes induced by one filter w
- ▶ If w is a 3 by 3 matrix

$$z_{k+1}^{11} = z_k^{11} w^{11} + z_k^{12} w^{12} + \dots + z_k^{33} w^{33}$$
  

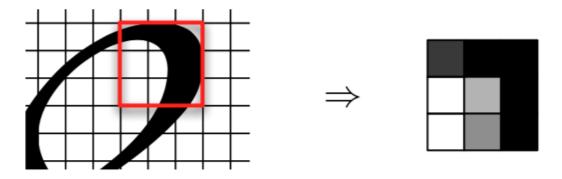
$$z_{k+1}^{12} = z_k^{12} w^{11} + z_k^{13} w^{12} + \dots + z_k^{34} w^{33}$$
  

$$z_{k+1}^{ij} = z_k^{ij} w^{11} + z_k^{i,j+1} w^{12} + \dots + z_k^{i+2,j+2} w^{33}$$
  

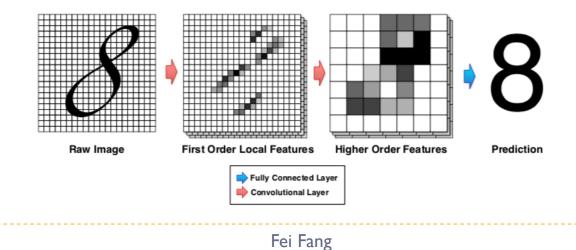
$$\dots$$

Note: if we follow exact the standard convolution operation in image processing, it should be  $z_{k+1}^{ij} = z_k^{ij}w^{33} + z_k^{i,j+1}w^{32} + \dots + z_k^{i+2,j+2}w^{11}$ , but it is equivalent to flipping the filter

Convolutional window acts as a classifier for local features



Stacked convolutional layers learn higher level features



Extend to multi-band images (e.g., RGB images)

- w is a 3 by 3 by #band matrix
- A single filter is not enough, often has many filters
  - Each filter leads to an output image

Mathematical Convolution

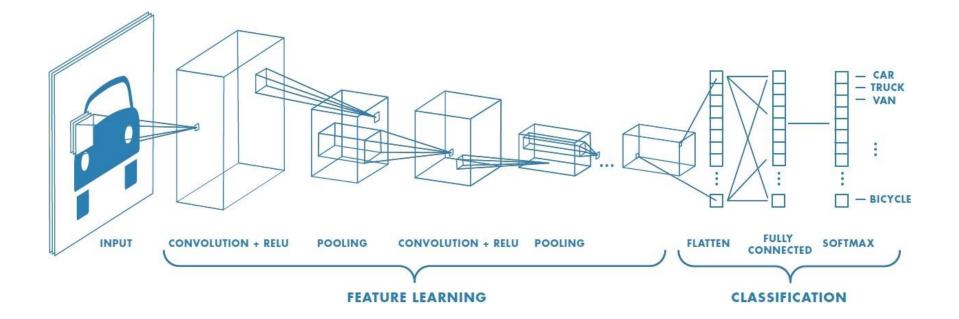
$$(f * g)(t) = \int_{\tau = -\infty}^{\infty} f(\tau)g(t - \tau)d\tau$$

- Convolution operation in images
  - Adding each element of the image to its local neighbors, weighted by the kernel

- Sometimes zero-padding is used to get "images" of the same size in the next layer
- A convolutional layer is often followed by ReLU layer (element-wise) and pooling layer (region-wise) in image related tasks

## **Convolutional Neural Network**

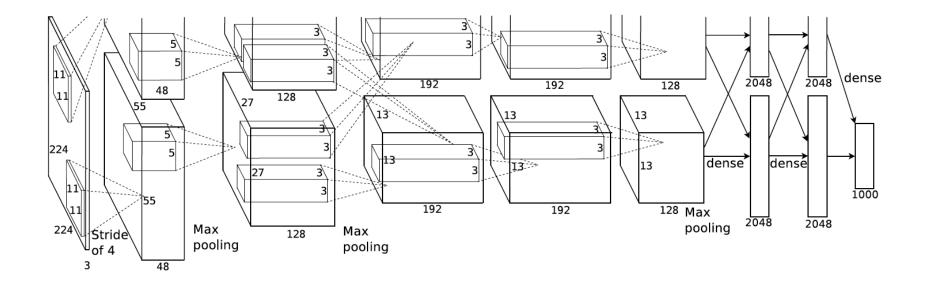
#### CNN: An NN with convolutional layers



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#### **Convolutional Neural Network**

 AlexNet: Won image classification competition on ImageNet by a large margin (Krizhevsky, Sutskever, Hinton, 2012)



## Cross Entropy Loss for Classification

- For classification task, output  $f_{\theta}(x)$  is often a probability vector
  - Last layer is often a softmax layer
  - Outputs a vector that specifies the probability for each class
- Label y specifies a single class
- What loss function to use?
  - Cross entropy loss (or log loss): negation of log of output probability of the correct class

$$L(\theta) = \sum_{i=1}^{m} l(f_{\theta}(x^{i}), \hat{y}^{i}) = \sum_{i=1}^{m} -\log f_{\theta}(x^{i})_{\hat{y}^{i}}$$

## With Pytorch I.2.0, MNIST dataset (grayscale, handwritten digits, 28\*28 images)

```
class MyModel(nn.Module):
    def __init__(self):
        super(MyModel, self).__init__()
```

```
def forward(self, x):
```

```
# 32x1x28x28 => 32x32x26x26
x = self.conv1(x)
x = F.relu(x)
```

```
# flatten => 32 x (32*26*26)
x = x.flatten(start_dim = 1)
```

```
# 32 x (32*26*26) => 32x128
x = self.d1(x)
x = F.relu(x)
```

```
# logits => 32x10
logits = self.d2(x)
out = F.softmax(logits, dim=1)
return out
```

One convolutional layer 32 output channels (32 filters) 3 by 3 square convolution kernel for each filter kernel\_size=3) Two fully connected layers

```
Use ReLU as activation function
```

```
Softmax layer for classification
```

```
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```

Define hyperparameters in training and loss function

```
learning_rate = 0.001
num_epochs = 5

device = torch.device("cuda:0" if torch.cuda.is_available() else "cpu")
model = MyModel()
model = model.to(device)
criterion = nn.CrossEntropyLoss()
optimizer = torch.optim.Adam(model.parameters(), lr=learning rate)
```

#### Train the model

```
for epoch in range(num epochs):
    train running loss = 0.0
   train_acc = 0.0
    model = model.train()
    ## training step
    for i, (images, labels) in enumerate(trainloader):
        images = images.to(device)
        labels = labels.to(device)
        ## forward + backprop + loss
        logits = model(images)
        loss = criterion(logits, labels)
        optimizer.zero grad()
        loss.backward()
        ## update model params
        optimizer.step()
        train running loss += loss.detach().item()
        train_acc += get_accuracy(logits, labels, BATCH_SIZE)
```

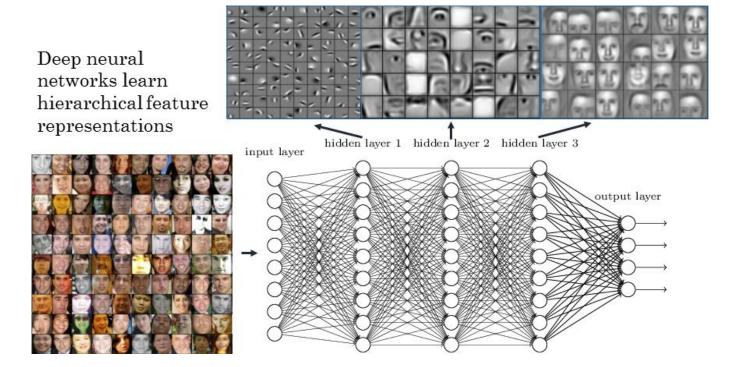
#### Evaluate the trained model on test data

```
## compute accuracy
def get_accuracy(logit, target, batch_size):
    ''' Obtain accuracy for training round '''
    corrects = (torch.max(logit, 1)[1].view(target.size()).data == target.data).sum()
    accuracy = 100.0 * corrects/batch_size
    return accuracy.item()
```

```
test_acc = 0.0
for i, (images, labels) in enumerate(testloader, 0):
    images = images.to(device)
    labels = labels.to(device)
    outputs = model(images)
    test_acc += get_accuracy(outputs, labels, BATCH_SIZE)
print('Test Accuracy: %.2f'%( test_acc/i))
```

## Reuse Lower Layers in CNN

#### Lower layers are reusable!



https://www.rsipvision.com/exploring-deep-learning/

## Reuse Lower Layers in CNN

#### Typical workflow

- > Train a network  $NN_A$  for Problem A with dataset  $D_A$
- Build a network  $NN_B$  for Problem B, with same lower layer architecture
- Initialize the lower layers parameters of  $NN_B$  using  $NN_A$
- Refine  $NN_B$  with dataset  $D_B$  for Problem B

#### Outline

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- Estimate Poverty from Remote Sensing Data

#### **Motivation**

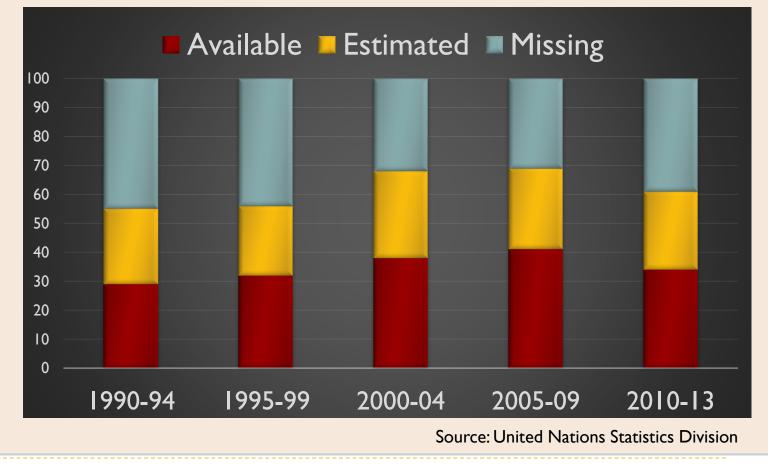




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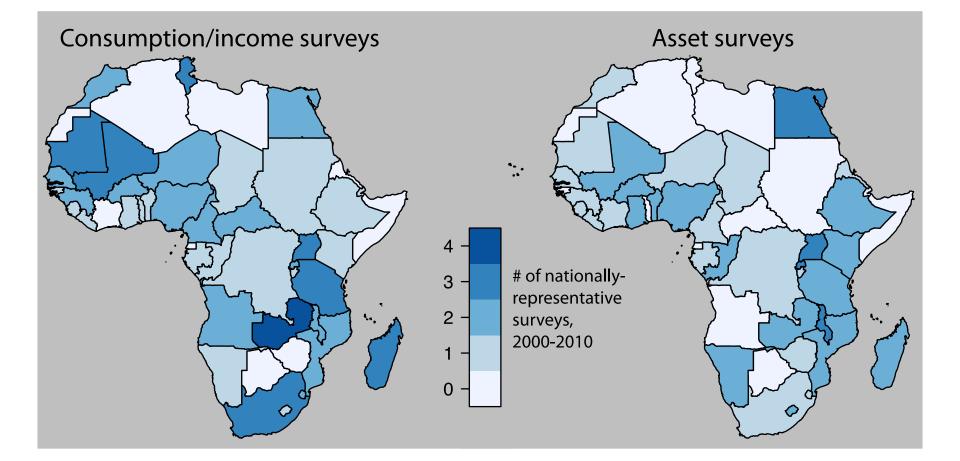
## Data Gaps (Lacking Key Measures of Dev.)



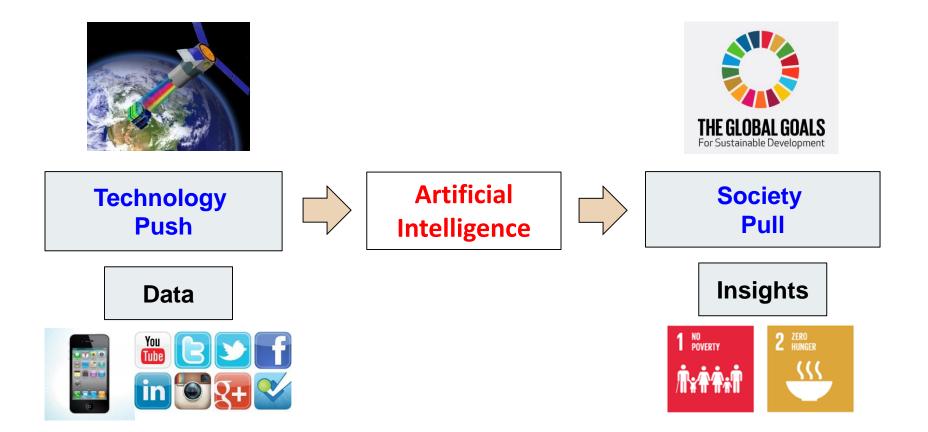


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## Previous Approach -- Survey



#### Data Revolution with AI



#### Remote sensing is becoming cheaper and more accurate

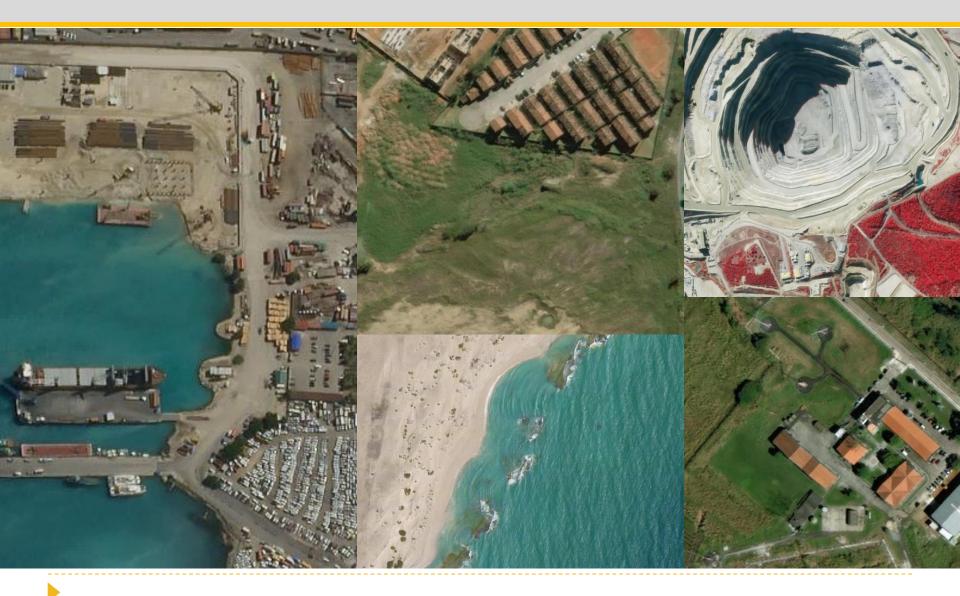
# Traditional imagery: Landsat – 30m

#### Remote sensing is becoming cheaper and more accurate

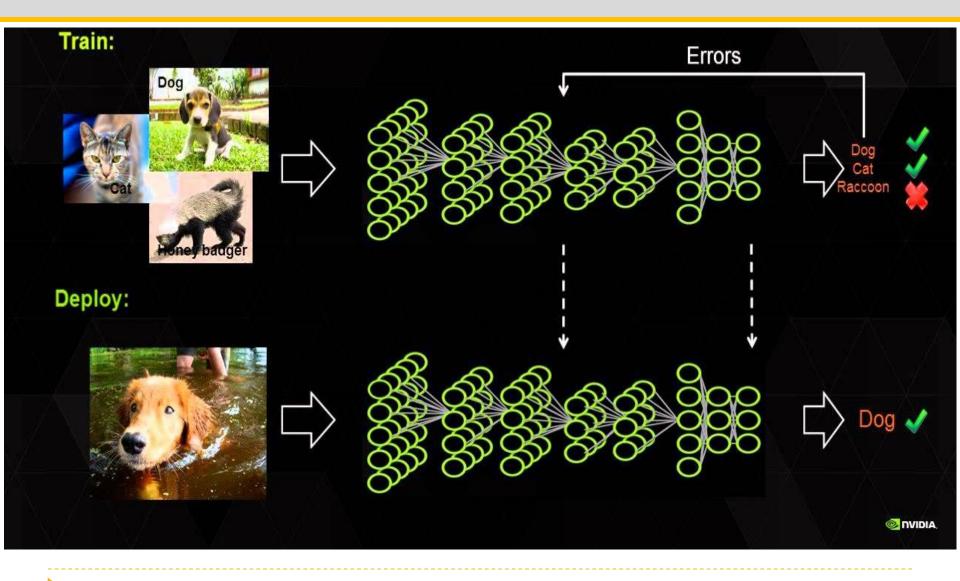
# Now: 3-5m is routine

Uganda, Dec 18 2015, Planet Labs

## Satellite Imagery



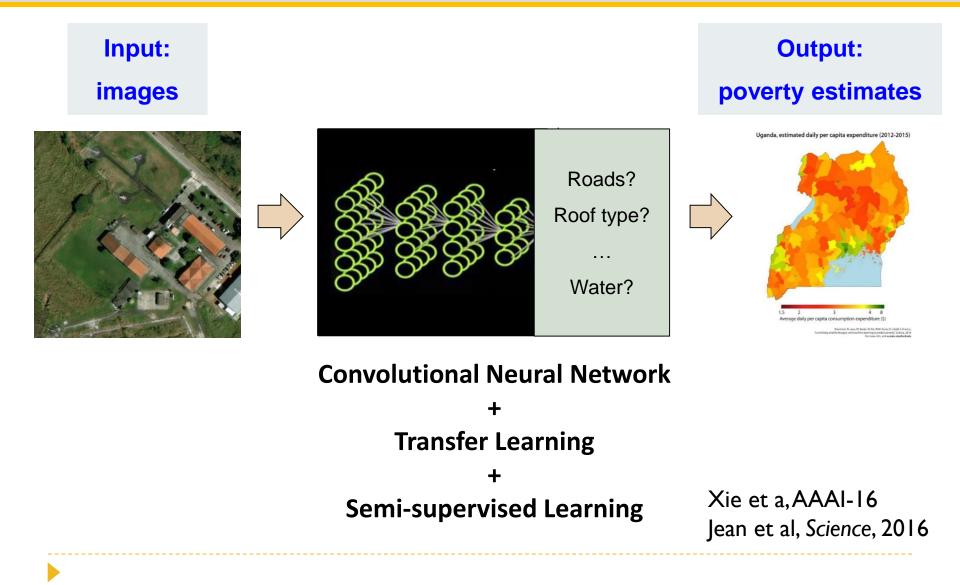
#### Deep Learning for Image Classification



#### Challenge: Little Ground Truth Data for Poverty



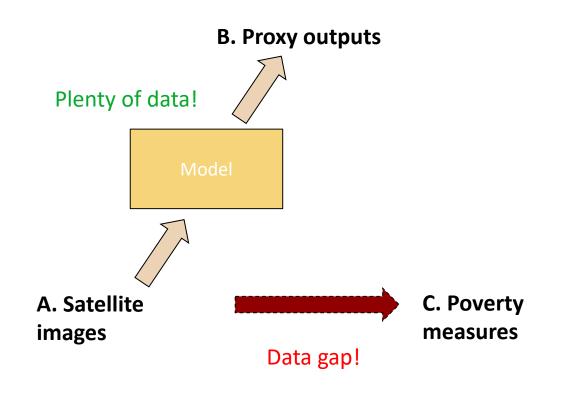
#### Extracting Socioeconomic Data from High-resolution Daytime Satellite Imagery



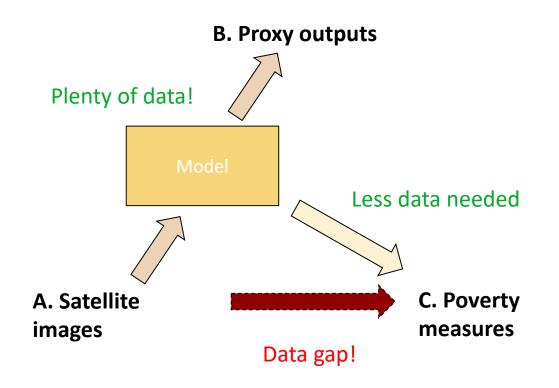
#### Transfer learning bridges the data gap



#### Transfer learning bridges the data gap



#### Transfer learning bridges the data gap



### Nighttime lights as proxy for economic development



#### Nighttime lights as proxy for economic development



#### Nighttime lights as proxy for economic development





#### Training data on the proxy task is plentiful

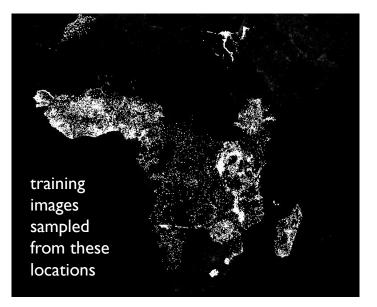
# Labeled input/output training pairs



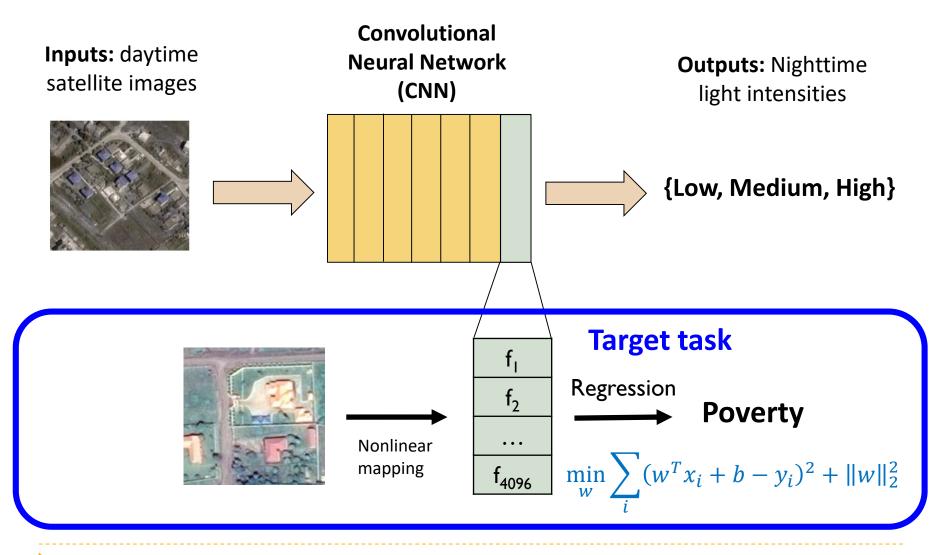
Low nightlight intensity



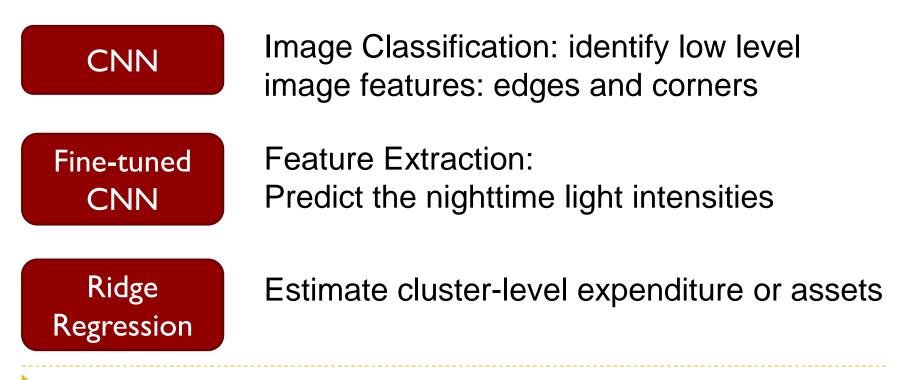
High nightlight intensity

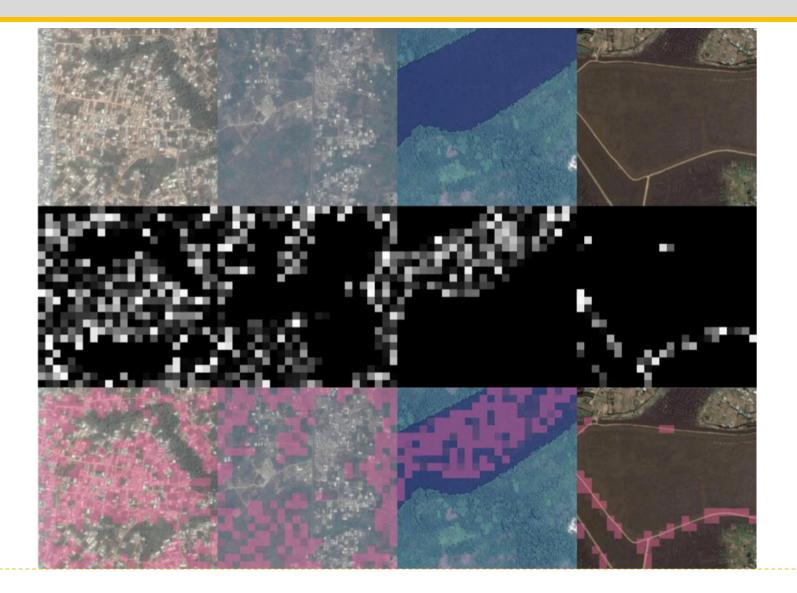


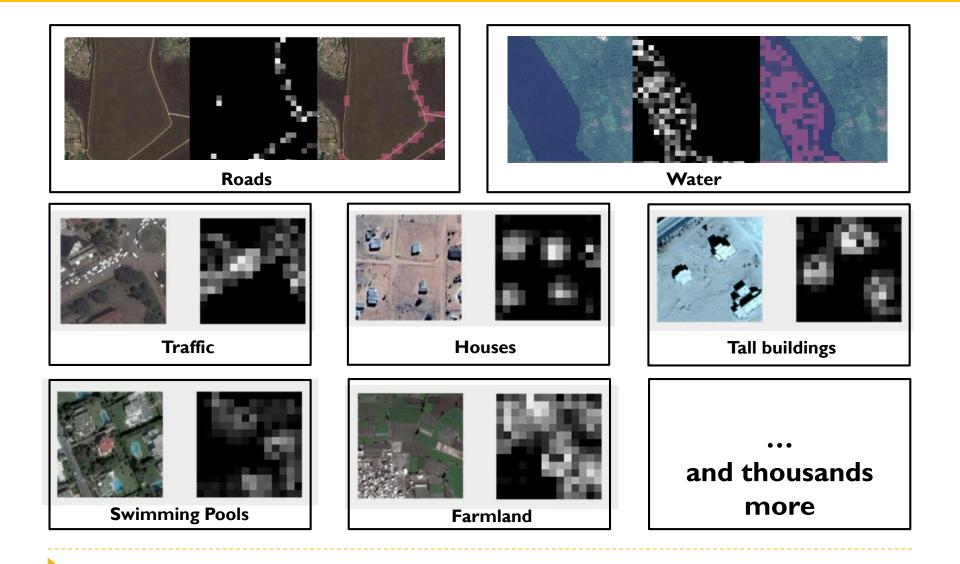
### Satellite Imagery $\rightarrow$ Proxy $\rightarrow$ Poverty

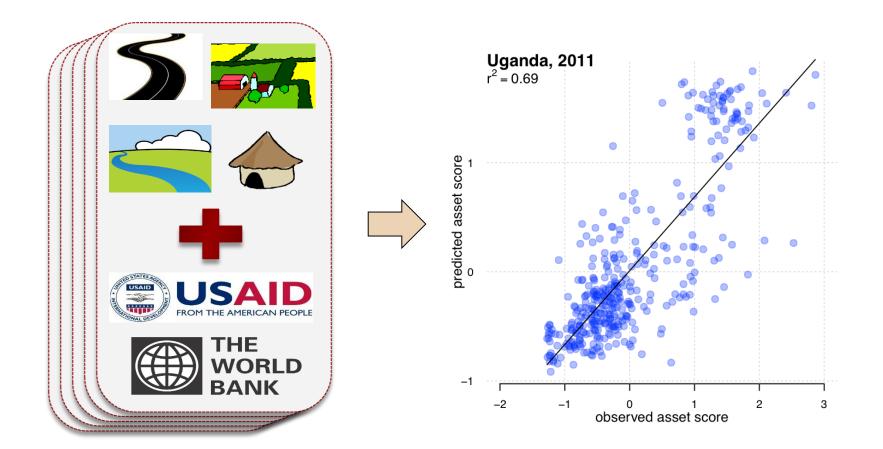


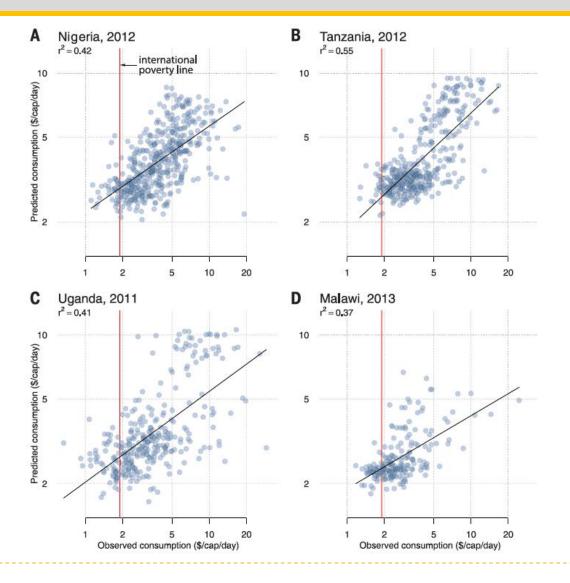
- Estimate either average household expenditures or average household wealth at the "cluster" level
- Transfer Learning Pipeline



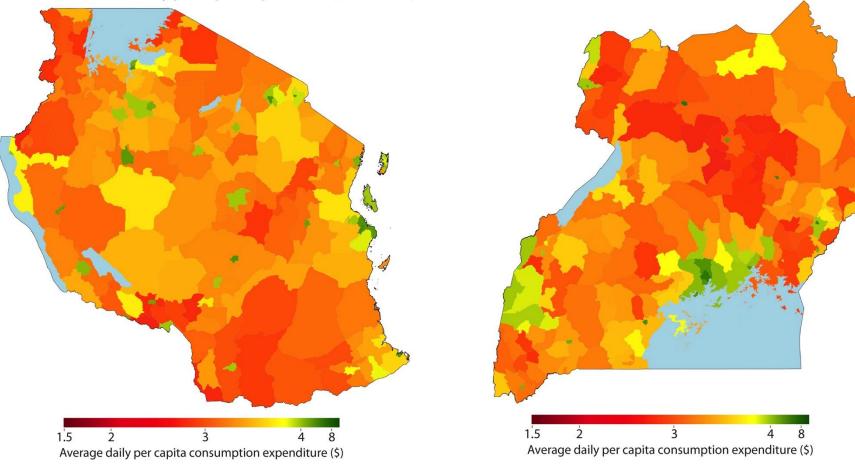








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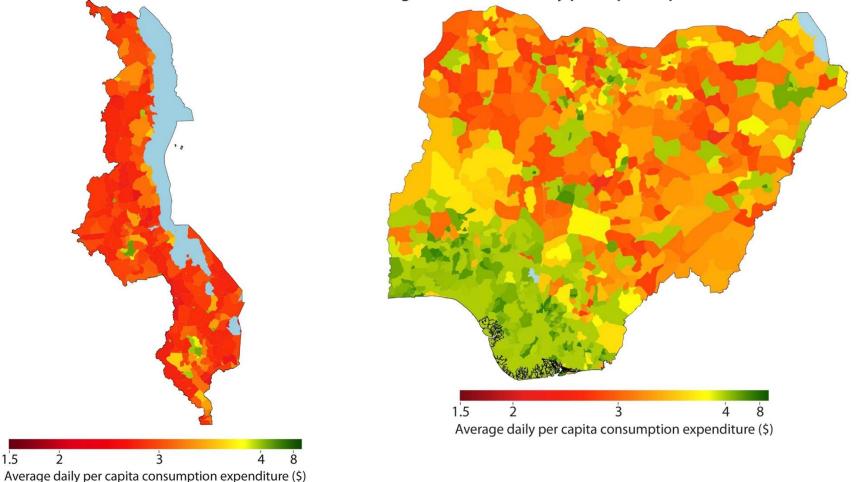


Uganda, estimated daily per capita expenditure (2012-2015)

Tanzania, estimated daily per capita expenditure (2012-2015)

1.5

Malawi, estimated daily per capita expenditure (2012-2015) Nigeria, estimated daily per capita expenditure (2012-2015)



#### Impact



2 Follow

This imaging technique could make it easier for aid to reach the people who need it the most.

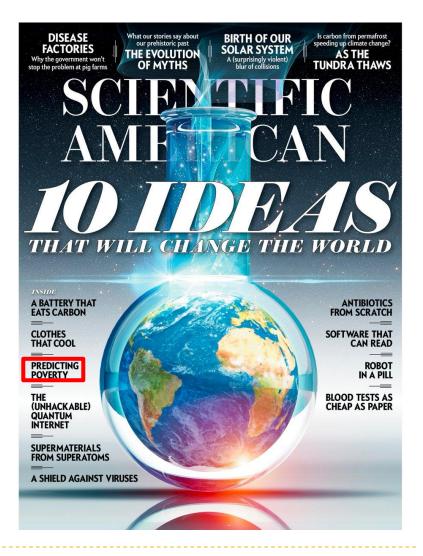


How satellite images are helping find the world's hidden poor Images from space hold a secret to helping some of the world's poorest people









#### References

- [1] Combining satellite imagery and machine learning to predict poverty
- [3] (video) Measuring progress towards sustainable development goals with machine learning

### **Additional Resources**

- Text book
  - Deep Learning, Chapter 6, 9
  - Ian Goodfellow and Yoshua Bengio and Aaron Courville
- Online course
  - https://www.coursera.org/learn/neural-networks-deep-learning
  - https://www.coursera.org/learn/convolutional-neural-networks

### Acknowledgment

### Slides on poverty estimation is adapted from slides by Prof. Stefano Ermon

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## **Backup Slides**

### Jacobian Matrix

$$f: \mathbb{R}^n \to \mathbb{R}^m$$
$$x \in \mathbb{R}^n$$
$$\frac{\partial f(x)}{\partial x} =$$

When f is a scalar valued function, i.e., 
$$f: \mathbb{R}^n \to \mathbb{R}$$
$$\frac{\partial f(x)}{\partial x} =$$

#### Jacobian Matrix

$$f: \mathbb{R}^n \to \mathbb{R}^m$$
$$x \in \mathbb{R}^n$$

$$\frac{\partial f(x)}{\partial x} = \begin{bmatrix} \frac{\partial f_1}{\partial x_1} & \cdots & \frac{\partial f_1}{\partial x_n} \\ \vdots & \ddots & \vdots \\ \frac{\partial f_m}{\partial x_1} & \cdots & \frac{\partial f_m}{\partial x_n} \end{bmatrix}$$

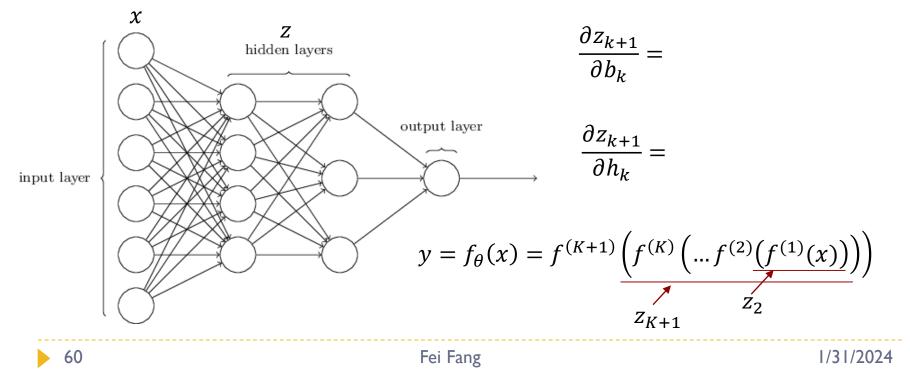
When f is a scalar valued function, i.e.,  $f: \mathbb{R}^n \to \mathbb{R}$  $\frac{\partial f(x)}{\partial x} = (\nabla_x f(x))^{\mathrm{T}}$ 

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#### Apply Chain Rule in Backward Pass

• Let 
$$z_k$$
 denote the "input" for  $k^{th}$  layer  
• Let  $z_{k+1} = f^{(k)}(h_k^T z_k + b_k)$ , then

$$\frac{\partial z_{k+1}}{\partial z_k} =$$



### Apply Chain Rule in Backward Pass

• Let 
$$z_k$$
 denote the "input" for  $k^{th}$  layer  
• Let  $z_{k+1} = f^{(k)}(h_k^T z_k + b_k)$ , then  

$$\frac{\partial z_{k+1}}{\partial z_k} = \frac{\partial f^{(k)}(h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)}h_k$$

$$\frac{\partial z_{k+1}}{\partial b_k} = \frac{\partial f^{(k)}(h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)}z_k^T$$
input layer  

$$\frac{\partial z_{k+1}}{\partial h_k} = \frac{\partial f^{(k)}(h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)}z_k^T$$

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### **Back Propagation**

$\partial l(f_{\theta}(x), \hat{y})$	$\frac{\partial l(y,\hat{y})}{\partial l(y,\hat{y})}$	дy	$\partial z_K$	$\partial z_{j+1}$
$\partial \theta_j$ –	<u> </u>	$\partial Z_K$	$\partial z_{K-1}$	$\partial \theta_j$

#### **Back Propagation**

 $z_0 \leftarrow x$ For k = 1..KCompute  $z_{k+1} =$ Compute  $z'_{k+1} =$  $L \leftarrow l(z_{K+1}, \hat{y})$ Compute  $g_{K+1} =$ For k = K...1Compute  $g_k =$  $\nabla_{b_k} \leftarrow$  $\nabla_{h_k} \leftarrow$ 

$$\frac{\partial z_{k+1}}{\partial z_k} = \frac{\partial f^{(k)} (h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)} h_k$$
$$\frac{\partial z_{k+1}}{\partial b_k} = \frac{\partial f^{(k)} (h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)}$$
$$\frac{\partial z_{k+1}}{\partial h_k} = \frac{\partial f^{(k)} (h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)} z_k^T$$

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### **Back Propagation**

$\frac{\partial l(f_{\theta}(x), \hat{y})}{dt}$	$\frac{\partial l(y,\hat{y})}{\partial l(y,\hat{y})}$	ду	$\partial z_K$	$\partial z_{j+1}$
$\partial \theta_j = -$	дy	$\partial Z_K$	$\partial z_{K-1}$	 $\partial \theta_j$

#### **Back Propagation**

$Z_0 \leftarrow \chi$ , $\partial f^{(k)}(h_k^T z_k + b_k)$	
$z_0 \leftarrow x$ For $k = 1K$ $z'_{k+1} = \frac{\partial f^{(k)}(h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)}$	
Compute $z_{k+1} = f^{(k)} (h_k^T z_k + b_k)$	$\frac{\partial z_{k+1}}{\partial z_k} = \frac{\partial f^{(k)} (h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)} h_k$
Compute $z'_{k+1} = f^{(k)'}(h_k^T z_k + b_k)$	
$L \leftarrow l(z_{K+1}, \hat{y})$	$\frac{\partial z_{k+1}}{\partial b_k} = \frac{\partial f^{(k)} (h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)}$
Compute $g_{K+1} = \frac{\partial l(z_{K+1}, \hat{y})}{\partial z_{K+1}}$	$\partial b_k \qquad \partial (h_k^T z_k + b_k)$
For $k = K \dots 1$ Dot product	$\frac{\partial z_{k+1}}{\partial h_k} = \frac{\partial f^{(k)} (h_k^T z_k + b_k)}{\partial (h_k^T z_k + b_k)} z_k^T$
Compute $g_k = h_k^T(g_{k+1} \circ z'_{k+1})$	$\partial h_k = \partial (h_k^T z_k + b_k)^{-2k}$
	$\frac{l}{1+1}\frac{\partial z_{k+1}}{\partial z_k} = h_k^T(g_{k+1} \circ z'_{k+1})$
$\nabla_{h_k} \leftarrow (g_{k+1} \circ z'_{k+1}) z_k^T  \overset{g_k}{\longrightarrow} \partial z_k  \partial z_k$	$+1 \partial z_k = n_k (g_{k+1} \circ z_{k+1})$